## Project: User Churn Project (Waze app)

## Introduction /Overview:

Waze app is a subsidiary company of Google that provides satellite navigation software on smartphones and other computers that support the Global Positioning System.

This project aimed at increasing overall growth by preventing monthly user churn on the app. The purpose of this project is to find factors that drive user churn and The goal is to build a model to predict whether or not a Waze user is retained or churned.

## The Project milestones' :

1. Explore and analyze Waze's user data.
2. Data cleaning and EDA.
3. Create data visualizations.
4. Conduct a hypothesis test.
5. Binomial logistic regression model.
6. Build and test two tree-based models: random forest and XGBoost.

## Data Source:

This project uses a dataset called waze_dataset.csv. It contains synthetic data created for this project in partnership with Waze. MetaData: The dataset contains: 14,999 rows - each row represents one unique user 12 columns

| label | obj | Binary target variable ("retained" vs "churned") for if a user has churned anytime during the course of the month |
| :---: | :---: | :---: |
| sessions | int | The number of occurrence of a user opening the app during the month |
| drives | int | An occurrence of driving at least 1 km during the month |
| devic | obj | The type of device a user starts a session with |
| total_sessions | float | A model estimate of the total number of sessions since a user has onboarded |
| n_days_after_onboarding | int | The number of days since a user signed up for the app |
| total_navigations_fav1 | int | Total navigations since onboarding to the user's favorite place 1 |
| total_navigations_fav2 | int | Total navigations since onboarding to the user's favorite place 2 |
| driven_km_drives | float | Total kilometers driven during the month |
| duration_minutes_drives | float | Total duration driven in minutes during the month |
| activity_days | int | Number of days the user opens the app during the month |
| driving_days | int | Number of days the user drives (at least 1 km ) during the month |

## Objective:

The goal is to build a model that predicts whether a Waze user will be retained or will churn, and to identify the factors contributing to user churn, thereby aiding in the improvement of retention strategies.

Setting up the environment, importing packages and load the dataset :

In [2]:

```
import pandas as pd
import matplotlib.pyplot as plt
import numpy as np
import seaborn as sns
```

In [3]:
1 \#\# Read in the data and store it as a dataframe object called data.
data = pd.read_csv('C:/Users/engmo/OneDrive/Desktop/Google Advanced Dat

## EDA and Data cleaning

In [4]:
1 \#\# Explore the Data
2 data.head()
Out[4]:

|  | ID | label | sessions | drives | total_sessions | n_days_after_onboarding |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
| total_navigations_f $\mathbf{f}$ |  |  |  |  |  |  |
| $\mathbf{0}$ | 0 | retained | 283 | 226 | 296.748273 | 2276 |
| $\mathbf{1}$ | $\mathbf{1}$ | retained | 133 | 107 | 326.896596 | 1225 |
| $\mathbf{2}$ | $\mathbf{2}$ | retained | 114 | 95 | 135.522926 | 2651 |
| $\mathbf{3}$ | 3 | retained | 49 | 40 | 67.589221 | 15 |
| $\mathbf{4}$ | 4 | retained | 84 | 68 | 168.247020 | 1562 |

In [5]:

```
##Lets understand the data and the data type
print(data.shape)
print(data.info())
```

| (14999, 13) |  |  |
| :--- | :--- | :--- |
| <class 'pandas.core.frame.DataFrame'> |  |  |
| RangeIndex: 14999 entries, 0 to 14998 |  |  |
| Data columns (total 13 columns): |  |  |
| $\#$ | Column | Non-Null Count | Dtype

In [6]:

```
## Let's generate a statistics summary of the data.
    2 data.describe()
```

Out [6]:

|  | ID | sessions | drives | total_sessions | n_days_after_onboarding to |
| ---: | ---: | ---: | ---: | ---: | ---: |
| count | 14999.000000 | 14999.000000 | 14999.000000 | 14999.000000 | 14999.000000 |
| mean | 7499.000000 | 80.633776 | 67.281152 | 189.964447 | 1749.837789 |
| std | 4329.982679 | 80.699065 | 65.913872 | 136.405128 | 1008.513876 |
| $\boldsymbol{m i n}$ | 0.000000 | 0.000000 | 0.000000 | 0.220211 | 4.000000 |
| $\mathbf{2 5 \%}$ | 3749.500000 | 23.000000 | 20.000000 | 90.661156 | 878.000000 |
| $\mathbf{5 0 \%}$ | 7499.000000 | 56.000000 | 48.000000 | 159.568115 | 1741.000000 |
| $\mathbf{7 5 \%}$ | 11248.500000 | 112.000000 | 93.000000 | 254.192341 | 2623.500000 |
| $\boldsymbol{m a x}$ | 14998.000000 | 743.000000 | 596.000000 | 1216.154633 | 3500.000000 |

In [7]: 1 \#\# Lets look for data missing and outliers, if any.
data.isna().sum()
Out[7]: ID
label 700
sessions 0
drives 0
total_sessions 0
n_days_after_onboarding 0
total_navigations_fav1 0
total_navigations_fav2 0
driven_km_drives 0
duration_minutes_drives 0
activity_days 0
driving_days 0
device 0
dtype: int64

In [42]:
1 \#\# Let's drop the ID column, its not usable
2 data = data.drop("ID",axis=1)

In [8]:

```
## The Label which is the outcome variable is missing 700 enteries, let
## Let's check for outliers.
## Sessions are the numbers of occurrences of a user opening the app du
# Box plot.
plt.figure(figsize=(5,1))
sns.boxplot(x=data['sessions'],fliersize=1)
plt.title('sessions box plot')
plt.show()
```

sessions box plot


In [9]:

```
## Let's visulaize the same varibale in histogram to understand the dat
# Histogram
plt.figure(figsize=(5,3))
sns.histplot(x=data['sessions'])
median = data['sessions'].median()
plt.axvline(median, color='red', linestyle='--')
plt.text(75,1200, 'median=56.0', color='red')
plt.title('sessions box plot');
```

sessions box plot


The sessions variable is a right-skewed distribution with half of the observations having 56 or fewer sessions. However, as indicated by the boxplot, some users have more than 700.

In [10]:

```
## Let's also review drives.
# Box plot
plt.figure(figsize=(5,1))
sns.boxplot(x=data['drives'], fliersize=1)
plt.title('drives box plot');
```

drives box plot


In [11]:

```
# Histogram
plt.figure(figsize=(5,3))
sns.histplot(x=data['drives'])
median = data['drives'].median()
plt.axvline(median, color='red', linestyle='--')
plt.text(0.25,0.95 ,'median=48.0', color='red')
plt.title('drives box plot');
```

drives box plot


The drives information follows a distribution similar to the sessions variable. It is rightskewed, approximately log-normal, with a median of 48 . However, some drivers had over 400 drives in the last month.

In [12]:

```
## Let's review the total sessions.
plt.figure(figsize=(5,1))
sns.boxplot(x=data['total_sessions'], fliersize=1)
plt.title('total_sessions box plot');
```

total_sessions box plot


In [13]:

```
# Histogram
plt.figure(figsize=(5,3))
sns.histplot(x=data['total_sessions'])
median = data['total_sessions'].median()
plt.axvline(median, color='red', linestyle='--')
plt.text(0.25,0.85,'median=159.6', color='red',ha='left')
plt.title('Total Sessions box plot');
```



The total_sessions is a right-skewed distribution. The median total number of sessions is 159.6. This is interesting information because, if the median number of sessions in the last month was 56 and the median total sessions was $\sim 160$, then it seems that a large proportion of a user's (estimated) total drives might have taken place in the last month. This is something we can examine more closely later.

In [14]:

```
## Let's review the driven_km_drive total KM driven during the month.
# Box plot
plt.figure(figsize=(5,1))
sns.boxplot(x=data['driven_km_drives'], fliersize=1)
plt.title('driven_km_drives bōx plot');
```

driven_km_drives box plot


In [15]:

```
# Histogram
plt.figure(figsize=(5,3))
sns.histplot(x=data['driven_km_drives'])
median = data['driven_km_drives'].median()
plt.axvline(median, color='red', linestyle='--')
plt.text(0.25,0.85,'median=3493.9', color='red',ha='left')
plt.title('driven_km_drives Hisotgram');
```

driven_km_drives Hisotgram


In [16]:

```
## duration_minutes_drives
# Box plot
plt.figure(figsize=(5,1))
sns.boxplot(x=data['duration_minutes_drives'], fliersize=1)
plt.title('duration_minutes_drives box plot');
```

duration_minutes_drives box plot


In [17]:

```
# Histogram
plt.figure(figsize=(5,3))
sns.histplot(x=data['duration_minutes_drives'])
median = data['duration_minutes_drives'].median()
plt.axvline(median, color='red', linestyle='--')
plt.text(0.85,0.85,'median=1478.2', color='red')
plt.title('duration_minutes_drives');
```

duration_minutes_drives


The duration_minutes_drives variable has a heavily skewed right tail. Half of the users drove less than $\sim 1,478$ minutes ( $\sim 25$ hours), but some users clocked over 250 hours over the month.

In [18]:

```
#### activity_days.
# Box plot
plt.figure(figsize=(5,1))
sns.boxplot(x=data['activity_days'], fliersize=1)
plt.title('activity_days box plot');
```

activity_days box plot


In [19]:

```
# Histogram
plt.figure(figsize=(5,3))
sns.histplot(x=data['activity_days'])
median = data['activity_days'].median()
plt.axvline(median, color='red', linestyle='--')
plt.text(0.95,0.25,'median=16', color='red')
plt.title('activity_days His');
```

activity_days His


Within the last month, users opened the app a median of 16 times. The box plot reveals a centered distribution. The histogram shows a nearly uniform distribution of $\sim 500$ people opening the app on each count of days. This distribution is noteworthy because it does not mirror the sessions distribution, which you might think would be closely correlated with activity_days.

In [20]:

```
####driving_days:Number of days the user drives (at least 1 km) during
# Box plot
plt.figure(figsize=(5,1))
sns.boxplot(x=data['driving_days'], fliersize=1)
plt.title('driving_days box plot');
```

driving_days box plot


In [21]:

```
# Histogram
plt.figure(figsize=(5,3))
sns.histplot(x=data['driving_days'])
median = data['driving_days'].median()
plt.axvline(median, color='red', linestyle='--')
plt.title('driving_days His');
```



The number of days users drove each month is almost uniform, and it largely correlates with the number of days they opened the app that month, except the driving_days distribution tails off on the right.

In [22]:

```
##device(Android/Iphone):
##The type of device a user starts a session with This is a categorical
# Pie chart
fig = plt.figure(figsize=(3,3))
dat=data['device'].value_counts()
plt.pie(dat,
    labels=[f'{dat.index[0]}: {dat.values[0]}',
                f'{dat.index[1]}: {dat.values[1]}'],
            autopct='%1.1f%%'
            )
plt.title('Users by device');
```

Users by device


There are nearly twice as many iPhone users as Android users represented in this data.

In [23]:

```
##label:Binary target variable ("retained" vs "churned")
fig = plt.figure(figsize=(3,3))
Mega=data['label'].value_counts()
plt.pie(Mega,
        labels=[f'{Mega.index[0]}: {Mega.values[0]}',
            f'{Mega.index[1]}: {Mega.values[1]}'],
        autopct='%1.1f%%'
        )
plt.title('Count of retained vs. churned');
```

Count of retained vs. churned


Less than $18 \%$ of the users churned.
driving_days vs. activity_days
Because both driving_days and activity_days represent counts of days over a month and they're also closely related, we can plot them together on a single histogram. This will help to better understand how they relate to each other without having to scroll back and forth comparing histograms in two different places.

Let's Plot a histogram that, for each day, has a bar representing the counts of driving_days and user_days.

In [24]:

```
# Histogram
plt.figure(figsize=(12,4))
label=['driving days', 'activity days']
plt.hist([data['driving_days'], data['activity_days']],
    bins=range(0,33),
        label=label)
plt.xlabel('days')
plt.ylabel('count')
plt.legend()
plt.title('driving_days vs. activity_days');
```



As observed previously, this might seem counterintuitive. After all, why are there fewer people who didn't use the app at all during the month and more people who didn't drive at all during the month?

On the other hand, it could just be illustrative of the fact that, while these variables are related to each other, they're not the same. People probably just open the app more than they use the app to drive-perhaps to check drive times or route information, to update settings, or even just by mistake.

In [25]:

```
##Let's confirm the maximum number of days for each variable;`driving_d
print(data['driving_days'].max())
print(data['activity_days'].max())
```

30
31

It's true. Although it's possible that not a single user drove all 31 days of the month, it's highly unlikely, considering there are 15,000 people represented in the dataset.

Let's use another way to check the validity of these variables by plotting a simple scatter plot with the $x$-axis representing one variable and the $y$-axis representing the other.

In [26]:

```
1 # Scatter plot
sns.scatterplot(data=data, x='driving_days', y='activity_days')
plt.title('driving_days vs. activity_days')
plt.plot([0,31], [0,31], color='red', linestyle='--');
```



Notice that there is a theoretical limit. If you use the app to drive, then by definition it must count as a day-use as well. In other words, you cannot have more drive-days than activitydays. None of the samples in this data violate this rule, which is good.

## Retention by device

Let's plota histogram to understand the churn rate by device type.

In [27]:

```
# Histogram
plt.figure(figsize=(5,4))
sns.histplot(data=data,
            x='device',
            hue='label',
            multiple='dodge',
            shrink=0.9
            )
plt.title('Retention by device histogram');
```

Retention by device histogram


The proportion of churned users to retained users is consistent between device types.

## Retention by kilometers driven per driving day

Let's examine retnetion by KM driving per day.

In [28]:

```
## Let's create `km_per_driving_day` column
data['km_per_driving_day'] = data['driven_km_drives'] / data['driving_d
# Let's pull the statistic description of the new column
data['km_per_driving_day'].describe()
```

Out[28]: count $1.499900 \mathrm{e}+04$
mean inf
std NaN
min $3.022063 \mathrm{e}+00$
25\% $\quad 1.672804 \mathrm{e}+02$
$50 \% \quad 3.231459 \mathrm{e}+02$
75\% 7.579257e+02
max inf
Name: km_per_driving_day, dtype: float64

Here the mean value is infinity, the standard deviation is NaN , and the max value is infinity.
This is the result of there being values of zero in the driving_days column.
Let's convert these values from infinity to zero and recheck it

In [29]:

```
# 1. Convert infinite values to zero
data.loc[data['km_per_driving_day']==np.inf, 'km_per_driving_day'] = 0
# 2. Confirm that it worked
data['km_per_driving_day'].describe()
```

Out [29]:

```
count 14999.000000
mean 578.963113
std 1030.094384
min 0.000000
25% 136.238895
50% 272.889272
75% 558.686918
max 15420.234110
Name: km_per_driving_day, dtype: float64
```

The maximum value is 15,420 kilometers per drive day. This is physically impossible. Driving $100 \mathrm{~km} /$ hour for 12 hours is $1,200 \mathrm{~km}$. It's unlikely many people averaged more than this each day they drove, so, for now, lets disregard rows where the distance in this column is greater than $1,200 \mathrm{~km}$ and plot a histogram to understand the distribution versus churned and retained users.

In [30]:

```
# Histogram
plt.figure(figsize=(12,5))
sns.histplot(data=data,
    x='km_per_driving_day',
    bins=range(0,1201,20),
    hue='label',
    multiple='fill')
plt.ylabel('%', rotation=0)
plt.title('Churn rate by mean km per driving day');
```



The churn rate tends to increase as the mean daily distance driven increases.

## Churn rate per number of driving days

lets investegate the number of driving days vs the churn rate

In [31]:

```
# Histogram
plt.figure(figsize=(12,5))
sns.histplot(data=data,
    x='driving_days',
    bins=range(1,32),
    hue='label',
    multiple='fill',
    discrete=True)
plt.ylabel('%', rotation=0)
plt.title('Churn rate per driving day');
```



The churn rate is highest for people who didn't use Waze much during the last month. The more times they used the app, the less likely they were to churn. nobody who used the app 30 days churned.

This isn't surprising. If people who used the app a lot churned, it would likely indicate dissatisfaction. When people who don't use the app churn, it might be the result of dissatisfaction in the past, or it might be indicative of a lesser need for a navigational app. Maybe they moved to a city with good public transportation and don't need to drive anymore and etc.

Lets engineer a feature to understand the percent of each user's total sessions that were logged in their last month of use(percent_sessions_in_last_month).

In [32]:

```
                        1 data['percent_sessions_in_last_month'] = data['sessions'] / data['total.
```

now lets find the median

In [33]:

```
    1 data['percent_sessions_in_last_month'].median()
```

Out[33]: 0.42309702992763176

Type Markdown and LaTeX: $\alpha^{2}$

In [34]:

| 1 | \#\# Now, let's create a histogram depicting the distribution of values i |
| :--- | :--- |
| 2 | \# Histogram |
| 3 | \# |
| 4 | plt.figure(figsize=(5,3)) |
| 5 | sns.histplot(x=data['percent_sessions_in_last_month'], hue=data['label'] |
| 6 | median = data['percent_sessions_in_last_month'].median() |
| 7 | plt.axvline(median, color='red', linestyle='--') |
| 8 | plt.title('percent_sessions_in_last_month His'); |
| 9 |  |

percent_sessions_in_last_month His


Type Markdown and LaTeX: $\alpha^{2}$

In [35]:

```
##Let's check the median value of the `n_days_after_onboarding` variabl
2 \text { data['n_days_after_onboarding'].median()}
```

Out[35]: 1741.0

Half of the people in the dataset had $40 \%$ or more of their sessions in just the last month, yet the overall median time since onboarding is almost five years.

Lets make a histogram of n_days_after_onboarding for just the people who had 40\% or more of their total sessions in the last month.

In [36]:

```
1 # Histogram
2 df = data.loc[data['percent_sessions_in_last_month']>=0.4]
plt.figure(figsize=(5,3))
sns.histplot(x=df['n_days_after_onboarding'])
plt.title('Num. days after onboarding for users with >=40% sessions in
```

Num. days after onboarding for users with $>=40 \%$ sessions in last month


The number of days since onboarding for users with $40 \%$ or more of their total sessions occurring in just the last month is a uniform distribution. This is very strange. It's worth asking Waze why so many long-time users suddenly used the app so much in the last month.

## Observations:

- Analysis revealed that the overall churn rate is $\sim 17 \%$, and that this rate is consistent between iPhone users and Android users.
- EDA has revealed that users who drive very long distances on their driving days are more likely to churn, but users who drive more often are less likely to churn.
- There is missing data in the user churn label, so we might need further data processing before further analysis.
- There are many outlying observations for drives, so we might consider a variable transformation to stabilize the variation.
- The number of drives and the number of sessions are both strongly correlated, so they might provide redundant information when we incorporate both in a model.
- On average, retained users have fewer drives than churned users.
- several variables had highly improbable or perhaps even impossible outlying values, such as driven_km_drives.
- Users of all tenures from brand new to $\sim 10$ years were relatively evenly represented in the data. This is borne out by the histogram for n_days_after_onboarding, which reveals a uniform distribution for this variable.*


## Descriptive statistics and hypothesis testing:

Let's focus on the device type, by examining the number of derives in both devices. basically, Do drivers who open the application using an iPhone have the same number of drives on average as drivers who use Android devices?

In [37]:

```
## Let's import the stats lib.
from scipy import stats
```

In [38]:

```
data_stat = data.copy()
data_stat['device_type'] = data['device']
## lets convert the devices type to numerical value.
map_dictionary = {'Android':2,'iPhone':1}
data_stat['device_type'] = data_stat['device_type'].map(map_dictionary)
data_stat['device_type'].head()
```

Out[38]: $0 \quad 2$
11
22
31
42
Name: device_type, dtype: int64

In [39]:

```
1 ##Let's look at the average number of drives for each device type
```

2 data_stat.groupby('device_type')['drives'].mean()

Out [39]:
device_type
167.859078
266.231838

Name: drives, dtype: float64

Based on the averages shown, it appears that drivers who use an iPhone device to interact with the application have a higher number of drives on average. However, this difference might arise from random sampling, rather than being a true difference in the number of drives. To assess whether the difference is statistically significant, Let's conduct a hypothesis test.

Let's conduct a t-test for two independent samples. the test should be appropriate since the groups are independent. Lets state our hypothesis:
$H_{0}$ : There is no difference in average number of drives between drivers who use iPhone devices and drivers who use Androids.
$H_{A}$ : There is a difference in average number of drives between drivers who use iPhone devices and drivers who use Androids.

Our significance level is 5\%.

In [40]:

```
## Let's isolate the device types from the column.
iPhone = data_stat[data_stat['device_type'] == 1]['drives']
# 2. Isolate the `drives` column for Android users.
Android = data_stat[data_stat['device_type'] == 2]['drives']
# 3. Perform the t-test
stats.ttest_ind(a=iPhone, b=Android, equal_var=False)
```

Out[40]: Ttest_indResult(statistic=1.4635232068852353, pvalue=0.1433519726802059)

Since the p-value is larger than the chosen significance level (5\%), we fail to reject the null hypothesis. and we conclude that there is not a statistically significant difference in the average number of drives between drivers who use iPhones and drivers who use Androids.

## Modeling Approaches:

## Approach A: Binomial Logisitic regression:

Let's build binomial logistic regression model which helps in estimating the probability of an outcome, and evaulating its performance.

In [43]:

```
##Preparing the environment and load the packages.
# Packages for Logistic Regression & Confusion Matrix
from sklearn.preprocessing import StandardScaler, OneHotEncoder
from sklearn.model_selection import train_test_split
from sklearn.metrics import classification_report, accuracy_score, prec
recall_score, f1_score, confusion_matrix, ConfusionMatrixDisplay
from sklearn.linear_model import LogisticRegression
```

In [45]:

```
## Let's check the balance of the outcome variable:
df['label'].value_counts(normalize=True)
```

$\begin{array}{lll}\text { Out [45]: } & \text { retained } & 0.819112 \\ & \text { churned } & 0.180888\end{array}$
Name: label, dtype: float64

The balance of the outcome variable to the independent variable is decent, it hleps to make sure we use stratify to represent the outcome variable minority in both dataset (Train \& Test).

In [46]:

|  | sessions | drives | total_sessions | n_days_after_onboarding | total_navigations |
| :---: | :---: | :---: | :---: | :---: | :---: |
| count | t 14999.000000 | 14999.000000 | 14999.000000 | 14999.000000 | 14999.0 ( |
| mean | n 80.633776 | 67.281152 | 189.964447 | 1749.837789 | 121.6 |
| std | d 80.699065 | 65.913872 | 136.405128 | 1008.513876 | 148.12 |
| min | n 0.000000 | 0.000000 | 0.220211 | 4.000000 | 0.01 |
| 25\% | \% 23.000000 | 20.000000 | 90.661156 | 878.000000 | 9.00 |
| 50\% | \% 56.000000 | 48.000000 | 159.568115 | 1741.000000 | 71.00 |
| 75\% | \% 112.000000 | 93.000000 | 254.192341 | 2623.500000 | 178.00 |
| max | x 743.000000 | 596.000000 | 1216.154633 | 3500.000000 | 1236.00 |
| 4 |  |  |  |  | - |

The following column they all seem to have outliers:

- sessions
- drives
- total_sessions
- total_navigations_fav1
- total_navigations_fav2
- driven_km_drives
- duration_minutes_drives All of these columns have max values that are multiple standard deviations above the 75th percentile. This could indicate outliers in these variables.

For this analysis, impute the outlying values for these columns. Lets calculate the 95th percentile of each column and change to this value any value in the column that exceeds it.

In [48]:

```
## Lets create a dataset for the logistic model.
data_lg= data.copy()
```

In [49]:

```
# Impute outliers
for column in ['sessions', 'drives', 'total_sessions', 'total_navigatio
                        'total_navigations_fav2', 'driven_km_drives', 'duration_
    threshold = data_lg[column].quantile(0.95)
    data_lg.loc[data_lg[column] > threshold, column] = threshold
```

In [51]:

```
##Lets call the describe function to check the previous step.
data_lg.describe()
```

Out[51]:

|  | sessions | drives | total_sessions | n_days_after_onboarding | total_navigations |
| ---: | ---: | ---: | ---: | ---: | ---: |
| count | 14999.000000 | 14999.000000 | 14999.000000 | 14999.000000 | $14999.0($ |
| mean | 76.568705 | 64.058204 | 184.031320 | 1749.837789 | $114.4^{\prime}$ |
| std | 67.297958 | 55.306924 | 118.600463 | 1008.513876 | 124.68 |
| min | 0.000000 | 0.000000 | 0.220211 | 4.000000 | $0.0($ |
| $\mathbf{2 5 \%}$ | 23.000000 | 20.000000 | 90.661156 | 878.000000 | $9.0($ |
| $\mathbf{5 0 \%}$ | 56.000000 | 48.000000 | 159.568115 | 1741.000000 | $71.0($ |
| $\mathbf{7 5 \%}$ | 112.000000 | 93.000000 | 254.192341 | 2623.500000 | $178.0($ |
| max | 243.000000 | 201.000000 | 454.363204 | 3500.000000 | 424.0 ( |

In [52]:
\#\#Previously we have found that 700 of label column is na, lets drop th data_lg = data_lg.dropna(subset=['label'])

In [56]:

```
## Let's change the data type on label & device to binary.
data_lg['label2']= np.where(data_lg['label']=='churned',1,0)
data_lg['device2'] = np.where(data_lg['device']=='Android', 0, 1)
```

Binomial logistic regression has assumptions to work, independent observations, no extreme outliers which are met, now lets confirm the multicollineraity that it should not exist in the X predictors.

In [55]:

```
## Lets check collinearity between the variables by plotting a heatmap.
plt.figure(figsize=(15,10))
sns.heatmap(data_lg.corr(method='pearson'), vmin=-1, vmax=1, annot=True
plt.title('Correlation heatmap indicates many low correlated variables'
    fontsize=18)
plt.show();
```



If there are predictor variables that have a Pearson correlation coefficient value greater than the absolute value of $\mathbf{0 . 7}$, these variables are strongly multicollinear. Therefore, only one of these variables should be used in your model.

The following variables are multicolinear with each other:

- sessions and drives:1.0
- driving_days and activity_days:0.95

In [57]:

```
## Let's build the model, assign the predictors to }X\mathrm{ and the target var
X = data_lg.drop(columns = ['label', 'label2', 'device', 'sessions', 'd
```

Notice that sessions and driving_days were selected to be dropped, rather than drives and activity_days. The reason for this is that the features that were kept for modeling had slightly stronger correlations with the target variable than the features that were dropped.

In [58]:

```
# Isolating target variable
y = data_lg['label2']
```

In [59]:

```
## Let's split our data to train and test dataset.
X_train, X_test, y_train, y_test = train_test_split(X, y, stratify=y, r
```

In [60]:

```
##Lets fit the model and use penalty to 'none' since our predictors are
model_lg = LogisticRegression(penalty='none', max_iter=400)
model_lg.fit(X_train, y_train)
```

Out[60]: LogisticRegression(max_iter=400, penalty='none')

In [62]: 1 \# Let generate predictions on X_test
y_preds = model_lg.predict(X_test)

In [64]:

```
# Let's score the model (accuracy) on the test data
model_lg.score(X_test, y_test)
```

Out [64]:
0.8237762237762237

In [65]:

```
## lets show the result using a confusion matrix.
cm = confusion_matrix(y_test, y_preds)
disp = ConfusionMatrixDisplay(confusion_matrix=cm,
                                display_labels=['retained', 'churned'],
                )
disp.plot();
```



In [66]:


The model has mediocre precision and very low recall, which means that it makes a lot of false negative predictions and fails to capture users who will churn.

In [73]:

```
## Lets find the features importance of this model.
# Lets create a list of (column_name, coefficient) tuples
feature_importance = list(zip(X_train.columns, model_lg.coef_[0]))
# Sort the list by coefficient value
feature_importance = sorted(feature_importance, key=lambda x: x[1], rev
```

```
##Let's plot the feature importance.
```

\#\#Let's plot the feature importance.
sns.barplot(x=[x[1] for x in feature_importance],
sns.barplot(x=[x[1] for x in feature_importance],
y=[x[0] for x in feature_importance],
y=[x[0] for x in feature_importance],
orient='h')
orient='h')
plt.title('Feature importance');

```
plt.title('Feature importance');
```

In [74]:

Feature importance

activity_days was by far the most important feature in the model. It had a negative correlation with user churn. This was not surprising, as this variable was very strongly correlated with driving_days, which was known from EDA to have a negative correlation with churn.

The model is not a strong enough predictor, as made clear by its poor recall score.

## Approach B: Random Forest and XGBoost:

In [76]:

```
# Import packages for data modeling
from sklearn.model_selection import GridSearchCV
from sklearn.metrics import roc_auc_score, roc_curve, auc
from sklearn.ensemble import RandomForestClassifier
from xgboost import XGBClassifier
# This is the function that helps plot feature importance
from xgboost import plot_importance
# This module lets us save our models once we fit them.
import pickle
```

So far we have engineered two features, lets create the following features

- total sessions per day, it represent the mean sessions per day since the onboarding.
- KM/hr , represent the mean km per hour driven in the last month.
- KM/drive ,mean number of kilometers per drive made in the last month for each user.
- percent_of_sessions_to_favorite ,represents the percentage of total sessions that were used to navigate to one of the users' favorite places.

In [78]:

```
1 # `total_sessions_per_day` feature
2 data['total_sessions_per_day'] = data['total_sessions'] / data['n_days_
```

In [84]:
\# Lets review the total session per day by calling the describe functio
2 data['total_sessions_per_day'].describe()

Out[84]:

| count | 14999.000000 |
| :--- | ---: |
| mean | 0.338698 |
| std | 1.314333 |
| min | 0.000298 |
| $25 \%$ | 0.051037 |
| $50 \%$ | 0.100775 |
| $75 \%$ | 0.216269 |
| $\max$ | 39.763874 |

Name: total_sessions_per_day, dtype: float64

In [81]:

```
## km_per_hour feature
data['km_per_hour'] = data['driven_km_drives'] / (data['duration_minute
data['km_per_hour'].describe()
```

Out[81]: count 14999.000000
mean 190.394608
std 334.674026
min 72.013095
25\% 90.706222
50\% 122.382022
$75 \% \quad 193.130119$
max 23642.920871
Name: km_per_hour, dtype: float64
there is huge descripency here, as the max value exceeds the month period.

| In [82]: | $\begin{array}{ll} 1 & \# \\ 2 & d \end{array}$ | \#\#`km_per_drive` feature <br> data['km_per_drive'] = data['driven_km_drives'] / data['drives'] |
| :---: | :---: | :---: |
| In [83]: | $\begin{array}{ll} 1 & \# \\ 2 & d \end{array}$ | \#\#Lets call the describe function to review the values. data['km_per_drive'].describe() |
| Out[83]: | count mean std min $25 \%$ $50 \%$ $75 \%$ $\max$ Name: | $1.499900 \mathrm{e}+04$ inf NaN |
| In [85]: | $\begin{array}{lll} 1 & \# \\ 2 & \# \\ 3 & d \\ 4 & \\ 5 & \# \\ 6 & d \end{array}$ | ```# this feature has inf values, lets convert these values to zero. # 1. Convert infinite values to zero data.loc[data['km_per_drive']==np.inf, 'km_per_drive'] = 0 # 2. Confirm that it worked data['km_per_drive'].describe()``` |
| Out[85]: | count <br> mean <br> std <br> min <br> 25\% <br> 50\% <br> 75\% <br> max <br> Name: | 14999.000000 232.817946 620.622351 0.000000 32.424301 72.854343 179.347527 15777.426560 : km_per_drive, dtype: float64 |
| In [86]: | 1 d | data.columns |
| Out [86]: | Index <br> ves', | ```x(['label', 'sessions', 'drives', 'total_sessions', 'n_days_after_onboarding', 'total_navigations_fav1', 'total_navigations_fav2', 'driven_km_drives', 'duration_minutes_dri 'activity_days', 'driving_days', 'device', 'km_per_driving_day', 'percent_sessions_in_last_month', 'total_sessions_per_day', 'km_per_hour', 'km_per_drive'], dtype='object')``` |
| In [87]: | $\begin{array}{l\|l} 1 & \nexists \\ 2 & 0 \\ 3 & \end{array}$ | ```#`percent_of_sessions_to_favorite` feature data['percent_of_drives_to_favorite'] = ( data['total_navigations_fav1'] + data['total_navigations_fav2']) /``` |

In [89]:

```
# Let descriptive stats
data['percent_of_drives_to_favorite'].describe()
```

Out[89]: count 14999.000000
mean 1.665439
std 8.865666
min 0.000000
25\% 0.203471
50\% 0.649818
75\% 1.638526
max 777.563629
Name: percent_of_drives_to_favorite, dtype: float64

In [92]:

```
## Dropping the missing values and create an allias to the dataset.
f_data = data.copy()
```

In [93]:

```
1 f_data = f_data.dropna(subset=['label'])
```

Outliers, there is no need to correct the outliers due to the tree based models are reilient to outliers

In [94]:

```
##Lets convert the categoral variables to binary.
f_data['device2'] = np.where(f_data['device']=='Android', 0, 1)
f_data['label2'] = np.where(f_data['label']=='churned', 1, 0)
```

Earlier we have discovered that $18 \%$ of the users in this dataset churned. This is an unbalanced dataset, but not extremely so. It can be modeled without any class rebalancing. Therefore, accuracy might not be the best gauge of performance because a model can have high accuracy on an imbalanced dataset and still fail to predict the minority class. And, It was already determined that the risks involved in making a false positive prediction are minimal. No one stands to get hurt, lose money, or suffer any other significant consequence if they are predicted to churn. Lets select the model based on the recall score.

In [95]:
Out[95]:
1 f_data.shape
(14299, 20)

Steps to take for the treebased models.

1. Split the data into train/validation/test sets (60/20/20).
2. Fit models and tune hyperparameters on the training set
3. Perform final model selection on the validation set
4. Assess the champion model's performance on the test set

In [97]:

```
# 1. Isolate X variables
X = f_data.drop(columns=['label', 'label2', 'device'])
# 2. Isolate y variable
y = f_data['label2']
# 3. Split into train and test sets
X_tr, X_test, y_tr, y_test = train_test_split(X, y, stratify=y,
                                    test_size=0.2, random_sta
# 4. Split into train and validate sets
X_train, X_val, y_train, y_val = train_test_split(X_tr, y_tr, stratify=
                                    test_size=0.25, rando
```

Verify the number of samples in the partitioned data.

In [98]:

```
for x in [X_train, X_val, X_test]:
    print(len(x))
```

8579
2860
2860

In [110]:

```
# 1. Instantiating the random forest classifier
rf = RandomForestClassifier(random_state=42)
# 2. Lets create a dictionary of hyperparameters to tune
cv_params = {'max_depth': [None],
    'max_features': [1.0],
    'max_samples': [0.5]
    'min_samples_leaf': [2],
    'min_samples_split': [2],
    'n_estimators': [300,500]
    }
# 3. Let's define a dictionary of scoring metrics to capture
scoring = {'accuracy', 'precision', 'recall', 'f1'}
# 4. Instantiating the GridSearchCV object
rf_cv = GridSearchCV(rf, cv_params, scoring=scoring, cv=4, refit='recal
```

    File "<ipython-input-110-c27aeecefc81>", line 8
        'min_samples_leaf': [2],
    SyntaxError: invalid syntax

Now Let's fit the model to the training data.

In [108]:

```
1 %%time
2 ~ r f \& c v . f i t ( X \_ t r a i n , ~ y \_ t r a i n )
```

Wall time: 45.1 s
Out[108]: GridSearchCV(cv=4, estimator=RandomForestClassifier(random_state=42), param_grid=\{'max_depth': [None], 'max_features': [1.0], 'max_samples': [0.5], 'min_samples_leaf': [2],
'min_samples_split': [2], 'n_estimators': [300]\}, refit='recall', scoring=\{'f1', 'precision', 'recall', 'accura cy'\})

In [109]:
1 \# Examine best score
2 rf_cv.best_score_
Out[109]:
0.10904993783671778

In [111]: 1 \# Examine best hyperparameter combo
2 rf_cv.best_params_
Out[111]: \{'max_depth': None,
'max_features': 1.0,
'max_samples': 0.5,
'min_samples_leaf': 2,
'min_samples_split': 2,
'n_estimators': 300\}

In [112]:

```
## Let's create make_results() function to output all of the scores of
def make_results(model_name:str, model_object, metric:str):
    Arguments:
        model_name (string): what you want the model to be called in th
        model_object: a fit GridSearchCV object
        metric (string): precision, recall, f1, or accuracy
    Returns a pandas df with the F1, recall, precision, and accuracy sc
    for the model with the best mean 'metric' score across all validati
    '''
    # Create dictionary that maps input metric to actual metric name in
    metric_dict = {'precision': 'mean_test_precision',
                        'recall': 'mean_test_recall',
                'f1': 'mean_test_f1',
                'accuracy': 'mean_test_accuracy',
                }
    # Get all the results from the CV and put them in a df
    cv_results = pd.DataFrame(model_object.cv_results_)
    # Isolate the row of the df with the max(metric) score
    best_estimator_results = cv_results.iloc[cv_results[metric_dict[met
    # Extract accuracy, precision, recall, and f1 score from that row
    f1 = best_estimator_results.mean_test_f1
    recall = best_estimator_results.mean_test_recall
    precision = best_estimator_results.mean_test_precision
    accuracy = best_estimator_results.mean_test_accuracy
    # Create table of results
    table = pd.DataFrame({'model': [model_name],
                        'precision': [precision],
                        'recall': [recall],
                        'F1': [f1],
                            'accuracy': [accuracy],
                                },
        )
    return table
```

In [113]:

```
results = make_results('RF cv', rf_cv, 'recall')
results
```

Out[113]:

|  | model | precision | recall | F1 | accuracy |
| ---: | ---: | ---: | ---: | ---: | ---: |
| $\mathbf{0}$ | RF cv | 0.490608 | 0.10905 | 0.178026 | 0.82189 |

Asside from the accuracy, the scores aren't that good. However, the logistic regression model was $\sim 0.09$, which means that this model has $33 \%$ better recall and about the same accuracy, and it was trained on less data.

## XGBoost:

Lets improve our scores using an XGBoost model.

In [114]:

```
# 1. Instantiate the XGBoost classifier
xgb = XGBClassifier(objective='binary:logistic', random_state=42)
# 2. Create a dictionary of hyperparameters to tune
cv_params = {'max_depth': [6, 12],
    'min_child_weight': [3, 5],
    'learning_rate': [0.01, 0.1],
    'n_estimators': [300]
    }
# 3. Define a dictionary of scoring metrics to capture
scoring = {'accuracy', 'precision', 'recall', 'f1'}
# 4. Instantiate the GridSearchCV object
xgb_cv = GridSearchCV(xgb, cv_params, scoring=scoring, cv=4, refit='rec
```

In [115]:

```
1 %%time
2 xgb_cv.fit(X_train, y_train)
```

Wall time: 20.8 s
Out[115]: GridSearchCV(cv=4,
estimator=XGBClassifier(base_score=None, booster=None, callb̄acks=None, colsample_bylevel=Non
e,
colsample_bynode=None, colsample_bytree=None, device=None, early_stopping_rounds=None, enable_categorical=False, eval_metric
=None,
feature_types=None, gamma=None, grow_policy=None, importance_type=Non
e,
interaction_constraints=None, learning_rate=None, ... max_delta_step=None, max_depth=None, max_leaves=None, min_child_weight=Non
e, missing=nan, monotone_constraints=Non
e, multi_strategy=None, n_estimators=Non
e, n_jobs=None, num_parallel_tree=None, random_state=42, ...),
param_grid=\{'learning_rate': [ $0.01,0.1]$, 'max_depth': [6, 1
2],
'min_child_weight': [3, 5], 'n_estimators': [30
0]\},
refit='recall', scoring=\{'f1', 'precision', 'recall', 'accura cy'\})

In [116]:

```
1 # Examine best score
    2 xgb_cv.best_score_
```

Out[116]: 0.17411244647050697

In [117]:
1 \# Examine best parameters
2 xgb_cv.best_params_
Out[117]: \{'learning_rate': 0.1, 'max_depth': 6, 'min_child_weight': 5, 'n_estimators': 300\}

In [118]:

```
# Call 'make_results()' on the GridSearch object
xgb_cv_results = make_results('XGB cv', xgb_cv, 'recall')
results = pd.concat([results, xgb_cv_results], axis=0)
4 \mp@code { r e s u l t s }
```

Out[118]:

|  | model | precision | recall | F1 | accuracy |
| :--- | ---: | ---: | ---: | ---: | ---: |
| $\mathbf{0}$ | RF cv | 0.490608 | 0.109050 | 0.178026 | 0.821890 |
| $\mathbf{0}$ | XGB cv | 0.436090 | 0.174112 | 0.248679 | 0.813614 |

This model fit the data even better than the random forest model. The recall score is nearly double the recall score from the logistic regression model from the previous course, and it's almost $50 \%$ better than the random forest model's recall score, with a minor drop in the precision and accuracy score

## Model selection:

Let's use the best random forest model and the best XGBoost model to predict on the validation data. Whichever performs better will be selected as the champion model.

In [120]:

```
1 \text { \# Random forest model to predict on validation data}
    2 ~ r f \_ v a l \_ p r e d s ~ = ~ r f \& c v . b e s t \_ e s t i m a t o r \_ . p r e d i c t ( X \_ v a l ) ~
```

In [121]:

```
##Let's create the get_test_scores() function to generate a table of sc
def get_test_scores(model_name:str, preds, y_test_data):
    Generate a table of test scores.
    In:
        model_name (string): Your choice: how the model will be named i
        preds: numpy array of test predictions
        y_test_data: numpy array of y_test data
    Out:
        table: a pandas df of precision, recall, f1, and accuracy score
    ''
    accuracy = accuracy_score(y_test_data, preds)
    precision = precision_score(y_test_data, preds)
    recall = recall_score(y_test_data, preds)
    f1 = f1_score(y_test_data, preds)
    table = pd.DataFrame({'model': [model_name],
                            'precision': [precision],
                            'recall': [recall],
                            'F1': [f1],
                            'accuracy': [accuracy]
        })
    return table
```

```
# Get validation scores for RF model
rf_val_scores = get_test_scores('RF val', rf_val_preds, y_val)
# Append to the results table
results = pd.concat([results, rf_val_scores], axis=0)
results
```

Out[122]:

|  | model | precision | recall | F1 | accuracy |
| :--- | ---: | ---: | ---: | ---: | ---: |
| $\mathbf{0}$ | RF cv | 0.490608 | 0.109050 | 0.178026 | 0.821890 |
| $\mathbf{0}$ | XGB cv | 0.436090 | 0.174112 | 0.248679 | 0.813614 |
| $\mathbf{0}$ | RF val | 0.477273 | 0.124260 | 0.197183 | 0.820629 |

Notice that the scores went up from the training scores across all metrics except precision, but only by very little. This means that the model did not overfit the training data.

In [123]:

```
# Use XGBoost model to predict on validation data
xgb_val_preds = xgb_cv.best_estimator_.predict(X_val)
# Get validation scores for XGBoost model
xgb_val_scores = get_test_scores('XGB val', xgb_val_preds, y_val)
# Append to the results table
results = pd.concat([results, xgb_val_scores], axis=0)
results
```

Out[123]:

|  | model | precision | recall | F1 | accuracy |
| :--- | ---: | ---: | ---: | ---: | ---: |
| $\mathbf{0}$ | $R F ~ c v$ | 0.490608 | 0.109050 | 0.178026 | 0.821890 |
| $\mathbf{0}$ | XGB cv | 0.436090 | 0.174112 | 0.248679 | 0.813614 |
| $\mathbf{0}$ | RF val | 0.477273 | 0.124260 | 0.197183 | 0.820629 |
| $\mathbf{0}$ | XGB val | 0.435233 | 0.165680 | 0.240000 | 0.813986 |

the XGBoost model's validation scores were lower, but only very slightly. It is still the clear champion.

In [124]:

```
# use XGBoost model to predict on test data
xgb_test_preds = xgb_cv.best_estimator_.predict(X_test)
# get test scores for XGBoost model
xgb_test_scores = get_test_scores('XGB test', xgb_test_preds, y_test)
# Append to the results table
results = pd.concat([results, xgb_test_scores], axis=0)
results
```

Out[124]:

|  | model | precision | recall | F1 | accuracy |
| :--- | ---: | ---: | ---: | ---: | ---: |
| $\mathbf{0}$ | RF cv | 0.490608 | 0.109050 | 0.178026 | 0.821890 |
| $\mathbf{0}$ | XGB cv | 0.436090 | 0.174112 | 0.248679 | 0.813614 |
| $\mathbf{0}$ | RF val | 0.477273 | 0.124260 | 0.197183 | 0.820629 |
| $\mathbf{0}$ | XGB val | 0.435233 | 0.165680 | 0.240000 | 0.813986 |
| $\mathbf{0}$ | XGB test | 0.406699 | 0.167653 | 0.237430 | 0.809091 |

The recall was exactly the same as it was on the validation data, but the precision declined notably, which caused all of the other scores to drop slightly. Nonetheless, this is stil within the acceptable range for performance discrepancy between validation and test scores.

## Confusion matrix

In [128]:

```
# generate array of values for confusion matrix
plt.figure(figsize=(20,8))
cm = confusion_matrix(y_test, xgb_test_preds, labels=xgb_cv.classes_)
# Plot confusion matrix
disp = ConfusionMatrixDisplay(confusion_matrix=cm,
                                    display_labels=['retained', 'churned'])
disp.plot();
```

<Figure size $1440 x 576$ with 0 Axes>


The model predicted three times as many false negatives than it did false positives, and it correctly identified only $16.5 \%$ of the users who actually churned.

## Feature importance

In [129]: $\square$


## Conclusion:

- The model is not a strong enough predictor, as made clear by its poor recall score. However, if the model is only being used to guide further exploratory efforts, then it can have value.
- The default decision threshold for most implementations of classification algorithmsincluding scikit-learn's-is 0.5 . This means that, in the case of the Waze models, if they predicted that a given user had a $50 \%$ probability or greater of churning, then that user was assigned a predicted value of 1 -the user was predicted to churn. With imbalanced datasets where the response class is a minority, this threshold might not be ideal. a lower threshold will increase the model performance.

1

